

# TRANSFER LEARNING



# TRAINING HUGE MODELS IS A BOTTLENECK

Requires managing huge dataset

Takes a long time → more difficult to tune hyperparameters

Expensive

- Many hours on rented GPU instance(s)
- Electricity cost on owned hardware

But we want to use powerful models for our own problems

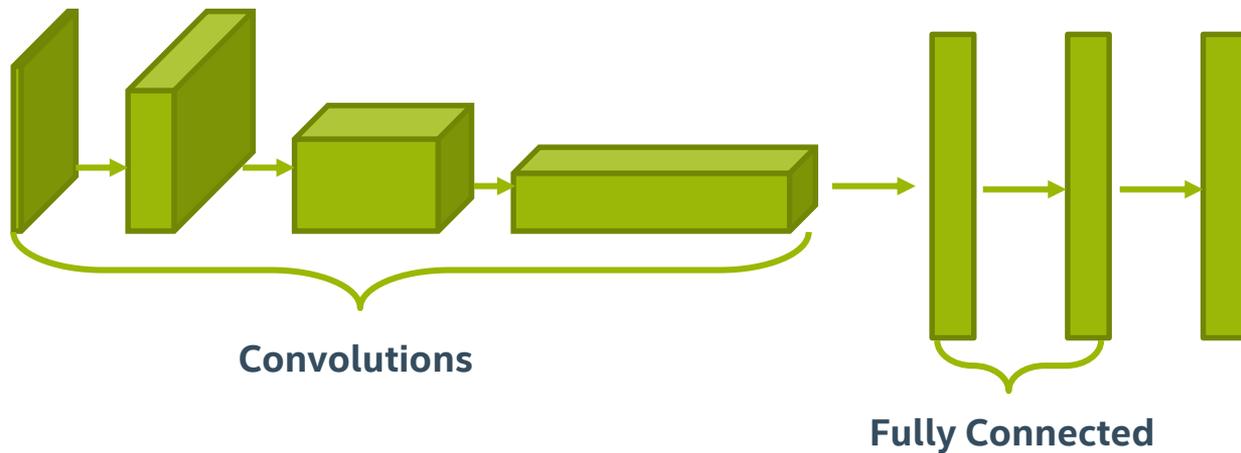
# TRANSFER LEARNING

**Idea:** layers in trained model might generalize

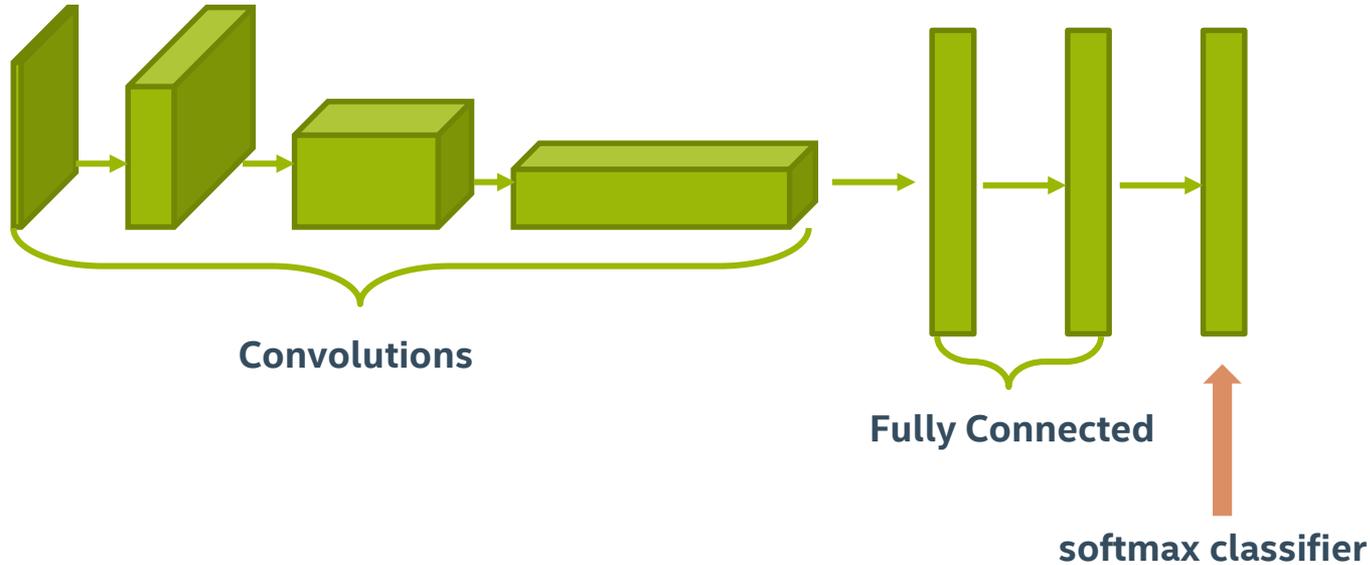
**If we just change the later layers, can use previously trained model to solve new problem!**

**Nice thing:** many pre-trained models available

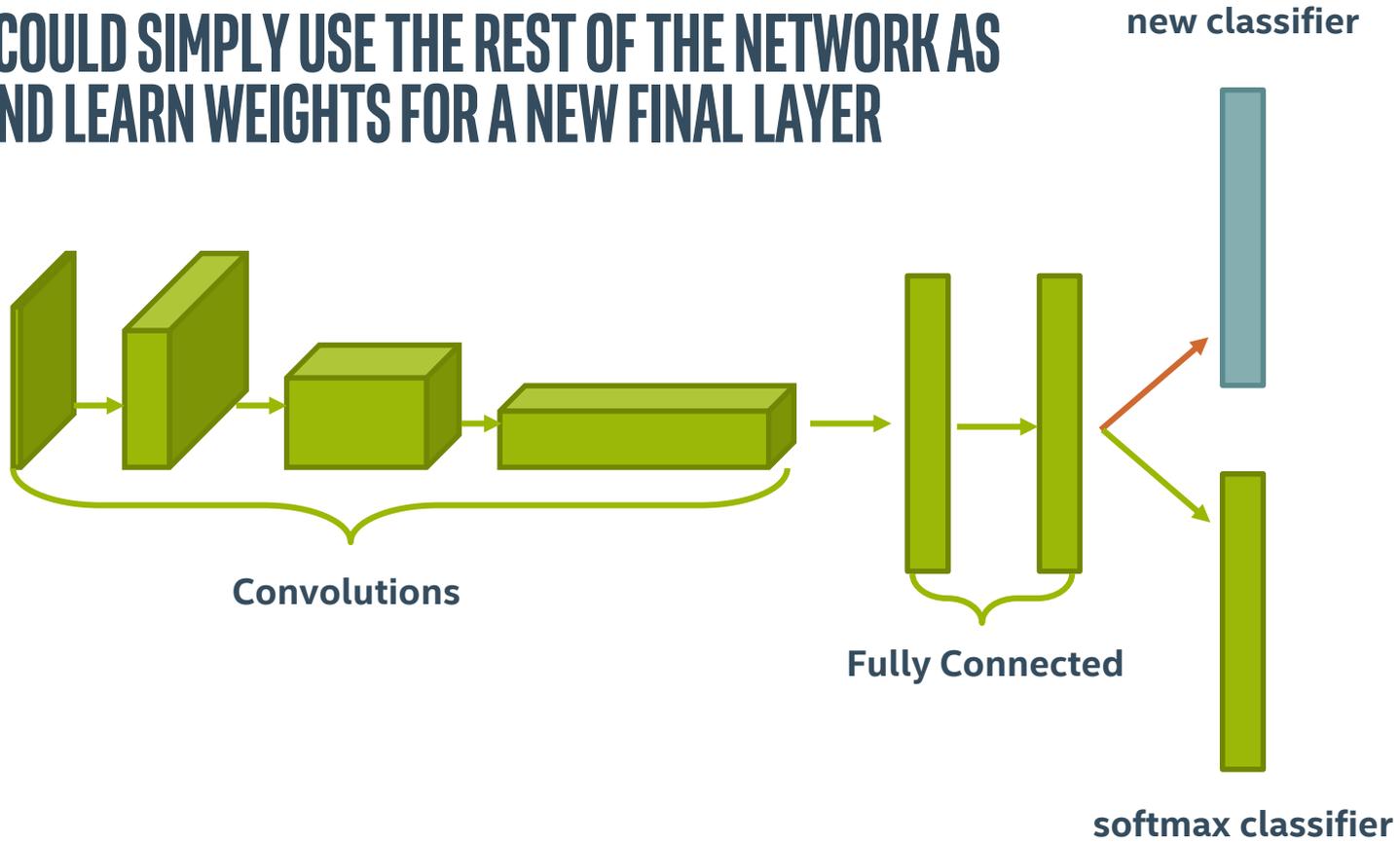
# OUR GENERAL CNN TEMPLATE



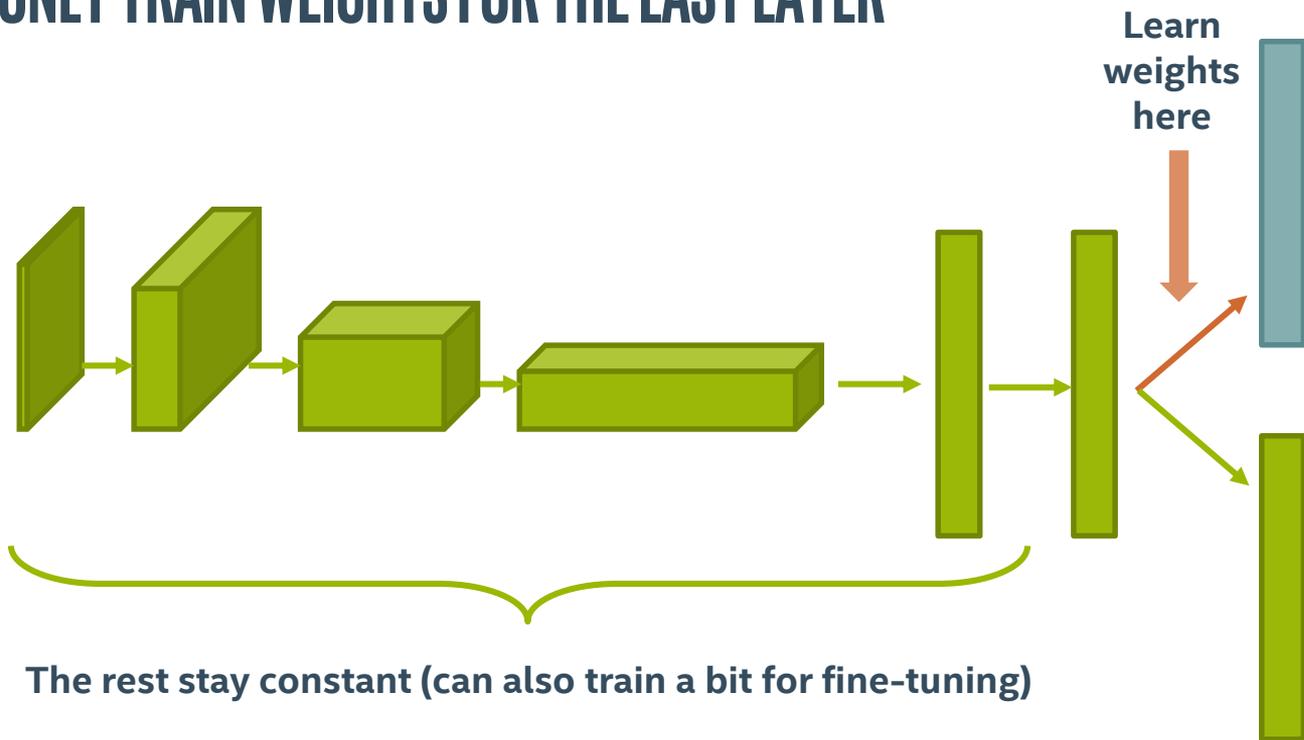
# WHAT IF THE MOST DECISION-MAKING FOR CLASSIFICATION COMES AT FINAL LAYER?



# WE COULD SIMPLY USE THE REST OF THE NETWORK AS IS AND LEARN WEIGHTS FOR A NEW FINAL LAYER

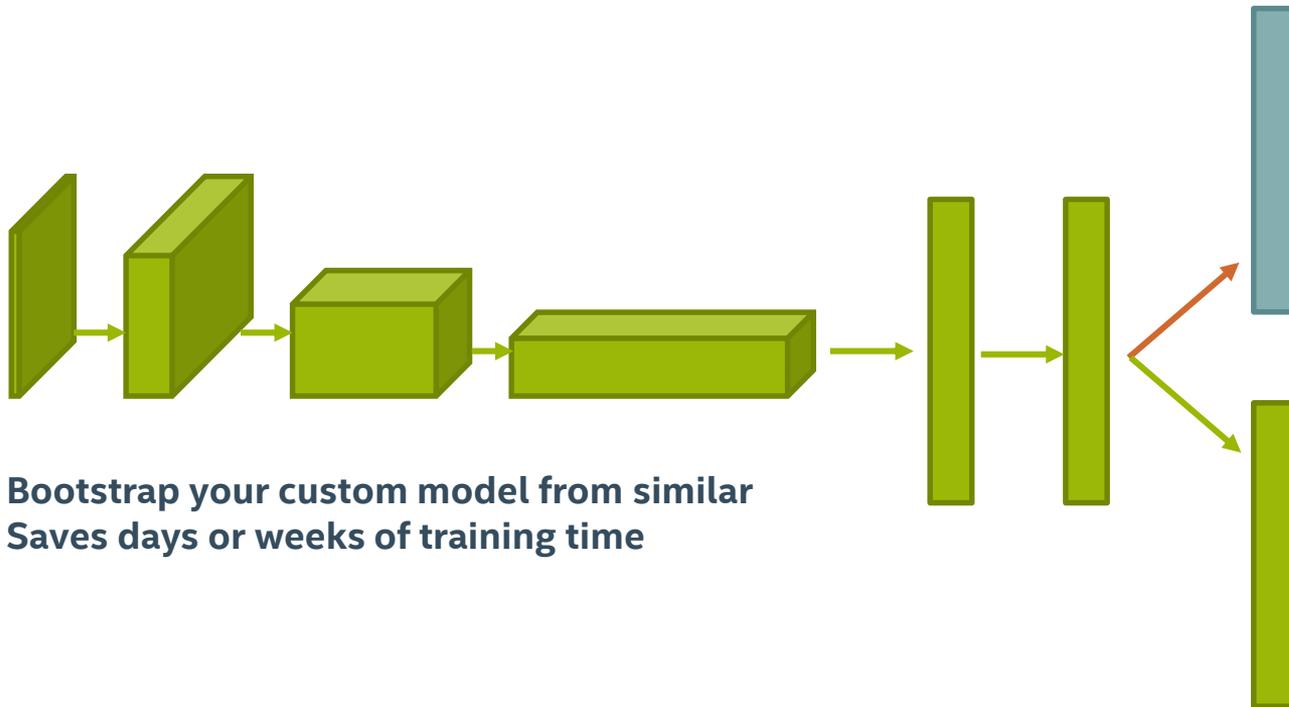


# WE ONLY TRAIN WEIGHTS FOR THE LAST LAYER



The rest stay constant (can also train a bit for fine-tuning)

# THIS TECHNIQUE IS CALLED **TRANSFER LEARNING**



**Bootstrap your custom model from similar**  
**Saves days or weeks of training time**

# TRANSFER LEARNING IN TENSORFLOW (CLASSIFICATION)

1. **Get handle to output from second-to-last layer**
2. **Create a new fully connected layer**
  - Number of neurons equal to the number of output classes
3. **Create new softmax cross-entropy loss**
4. **Create a training op to minimize the new loss**
  - Set `var_list` parameter to be just the new layer variables
5. **Train with new data!**

# ACCESSING OPS AND TENSORS

# ACCESSING ARBITRARY OPERATIONS/TENSORS

In general, we have been simply holding onto pointers for our Tensor objects in TensorFlow:

```
c = tf.multiply(a, b) # c is a Tensor object
```

But what if we don't have pointer due to using pre-built models or layer functions which don't return handles?

# ACCESSING ARBITRARY OPERATIONS/TENSORS

```
graph.get_operation_by_name()
```

```
graph.get_tensor_by_name()
```

functions allow us to get handles to Operations/Tensors by passing in a string name:

```
with graph.as_default():
```

```
    tf.multiply(a, b, name='mul') # forgot to assign handle!
```

```
    c = graph.get_tensor_by_name('mul:0') # got Tensor handle!
```

# OP NAMES

Be careful when getting handles to Operations vs Tensors

Operation names are the names you pass in as name argument (they don't have number at end)

```
c_op = graph.get_operation_by_name('mul')
```

# TENSOR NAMES

Tensors have numeric suffix along with parent Op's name

Number corresponds to the output index from Op

```
c = graph.get_tensor_by_name('mul:0')
```

Some Ops have multiple output Tensors

- example: `tf.nn.moments()`

```
mean = graph.get_tensor_by_name('moments:0')
```

```
var = graph.get_tensor_by_name('moments:1')
```

# BATCH NORMALIZATION

Ioffe and Szegedy

# INTERNAL COVARIATE SHIFT

Change in distributions of activations during training due to weights changing

Slows down training

- Weights have to keep figuring out how to respond to different activations

If we can keep neuron activations (more) normally distributed, weights can settle down more quickly

# BATCH NORMALIZATION

Idea: normalize (“whiten”) the activations of each layer

$$\hat{a}^{(l)} = \frac{a^{(l)} - \bar{a}^{(l)}}{\sqrt{\text{Var}(a^{(l)}) + \epsilon}} \quad \leftarrow \text{Epsilon } \epsilon \text{ prevents divide by zero}$$

Then add learnable “weight” and “bias” terms for final output

$$BN(a^{(l)}) = \gamma \hat{a}^{(l)} + \beta$$

$BN(a^{(l)})$  is what gets passed to next layer

**Note:** paper uses  $x$  and  $y$  to refer to initial activations and final activations.  
Changed here for consistency with class

# BATCH NORM: TRAINING VS FINAL

During training, get mean ( $\bar{a}^{(l)}$ ) and variance ( $Var(a^{(l)})$ ) of activations w.r.t. *training batch* (not single example)

After training, get mean and variance of activations over the *entire training set*.

Alternative: keep moving average of mean/variance during training.

# IMPLEMENTATION NOTE

With batch normalization, we no longer need our standard bias term,  $b$

$$z^{(l)} = a^{(l-1)}W^{(l-1)} + b \quad \text{or} \quad z^{(l)} = \text{conv}(a^{(l-1)}W^{(l-1)} + b)$$

Due to the normalization subtracting the mean, the bias term gets cancelled out

Simply need weights  $W^{(l-1)}$

$$z^{(l)} = a^{(l-1)}W^{(l-1)} \quad \text{or} \quad z^{(l)} = \text{conv}(a^{(l-1)}W^{(l-1)})$$

# BATCH NORMALIZATION IN TENSORFLOW

## Method 1: Manually

```
z = tf.matmul(a_prev, W)
a = tf.nn.relu(z)
```

```
a_mean, a_var = tf.nn.moments(a, [0])
```

```
scale = tf.Variable(tf.ones([depth/channels]))
beta = tf.Variable(tf.zeros ([depth/channels]))
```

```
bn = tf.nn.batch_normalization(a, a_mean, a_var, beta, scale, 1e-3)
```

For testing, replace `a_mean`, `a_var` with full training statistics

# BATCH NORMALIZATION IN TENSORFLOW

## Method 2: Built-in layer function

```
z = tf.matmul(a_prev, W)
```

```
a = tf.nn.relu(z)
```

```
bn = tf.layers.batch_normalization(a)
```

- Keeps a decaying average of activation mean and variance
- Much simpler than doing manually
- Can still replace with full training mean/variance if desired

# RESULTS OF BATCH NORMALIZATION

Speeds up training dramatically

Enables increased learning rate with less chance of exploding gradients

Reduces effectiveness/need for dropout

Final model is more accurate

In summary: use batch normalization.

# DEEPER NETWORKS AND RECEPTIVE FIELD

VGGNet

# VGG NET

## *Very Deep Convolutional Networks for Large-Scale Image Recognition*

- Karen Simonyan and Andrew Zisserman, 2014

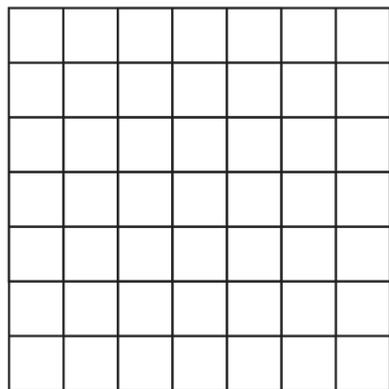
**Problem:** networks involve many manual decisions

How to choose between different size convolutions?

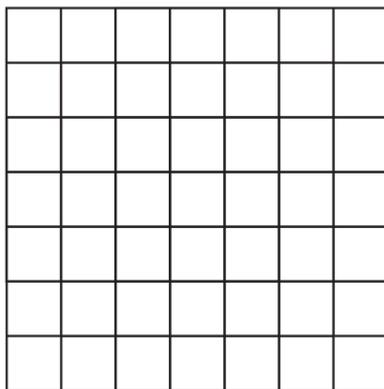
**Idea:** Simplify network and add many more layers

# RECEPTIVE FIELD

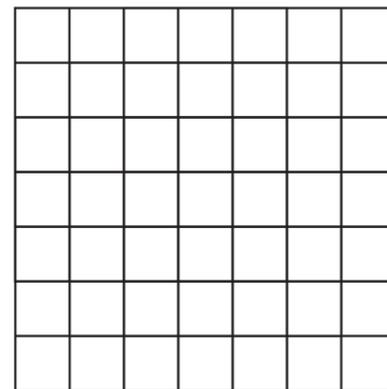
Idea: Each subsequent 3x3 convolution effectively “sees” a larger portion of the inputs



**Layer 1**  
(Input)



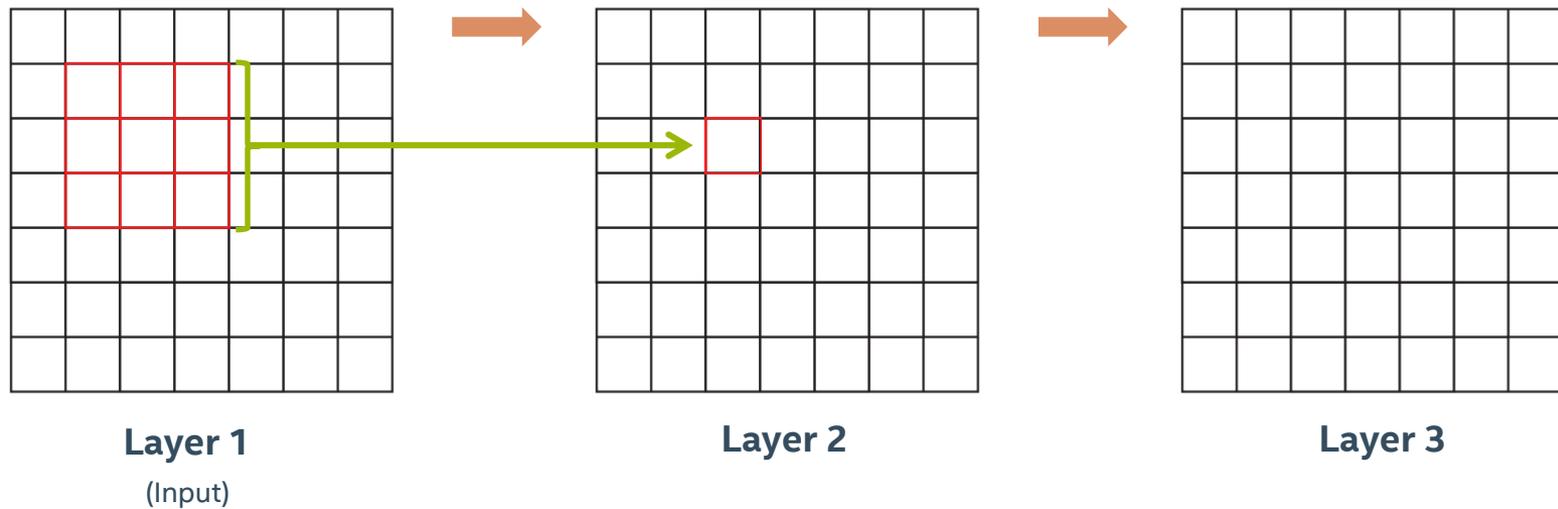
**Layer 2**



**Layer 3**

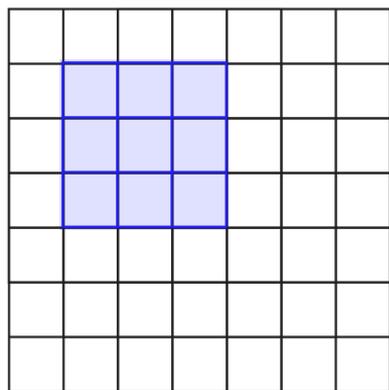
# RECEPTIVE FIELD

A single output in Layer 2 is the result of “seeing” a 3x3 grid from Layer 1

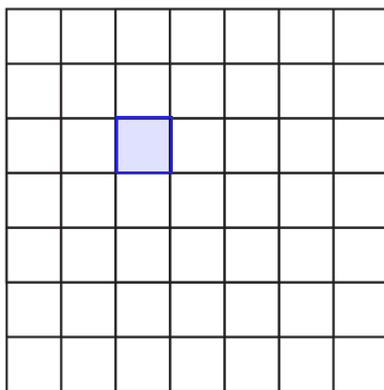


# RECEPTIVE FIELD

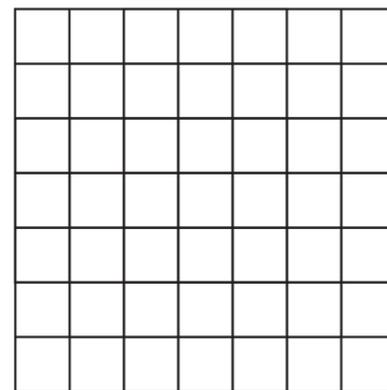
We can say that the “receptive field” of layer 2 is 3x3.  
Each output has been influenced by a 3x3 patch of inputs.



**Layer 1**  
(Input)



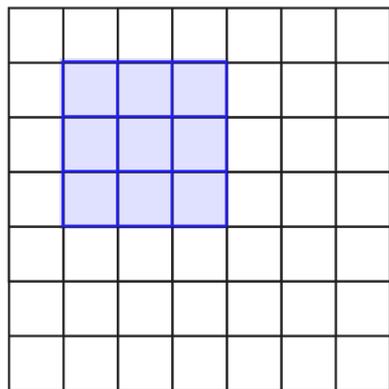
**Layer 2**



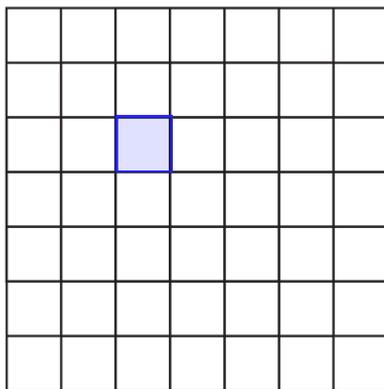
**Layer 3**

# RECEPTIVE FIELD

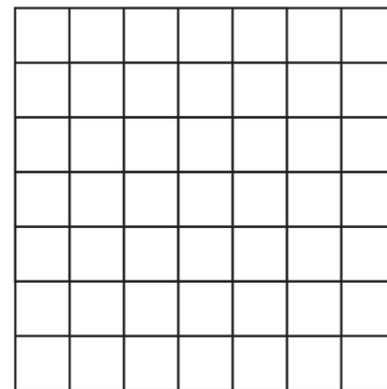
What about on layer 3?



**Layer 1**  
(Input)



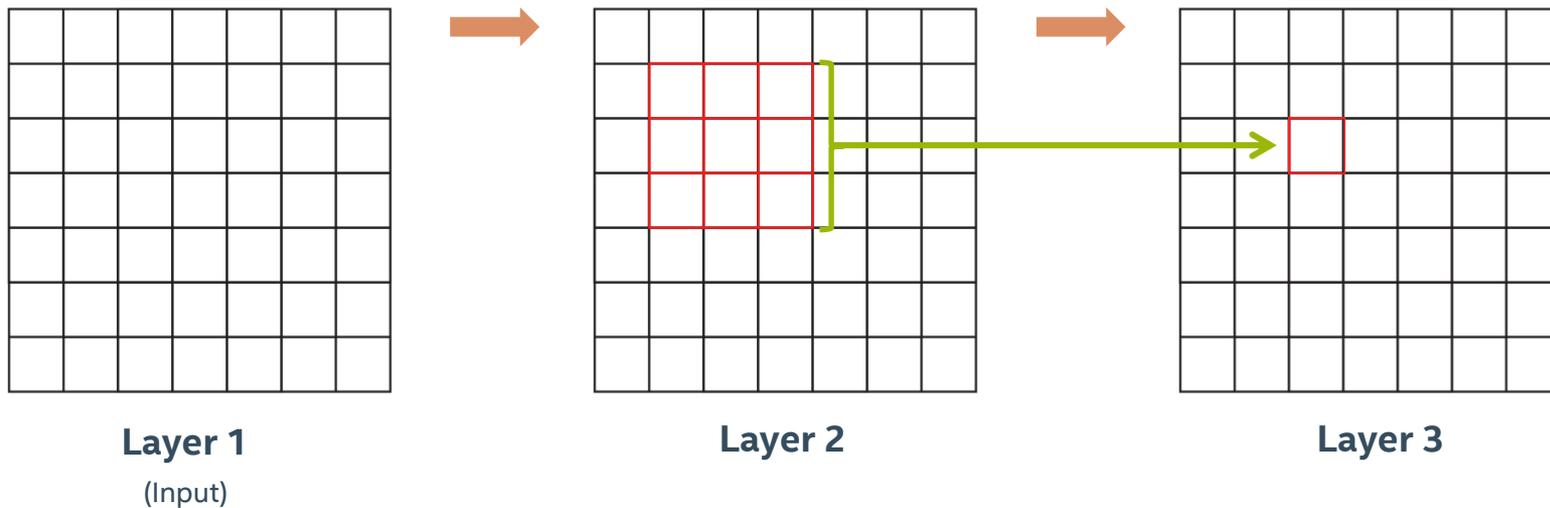
**Layer 2**



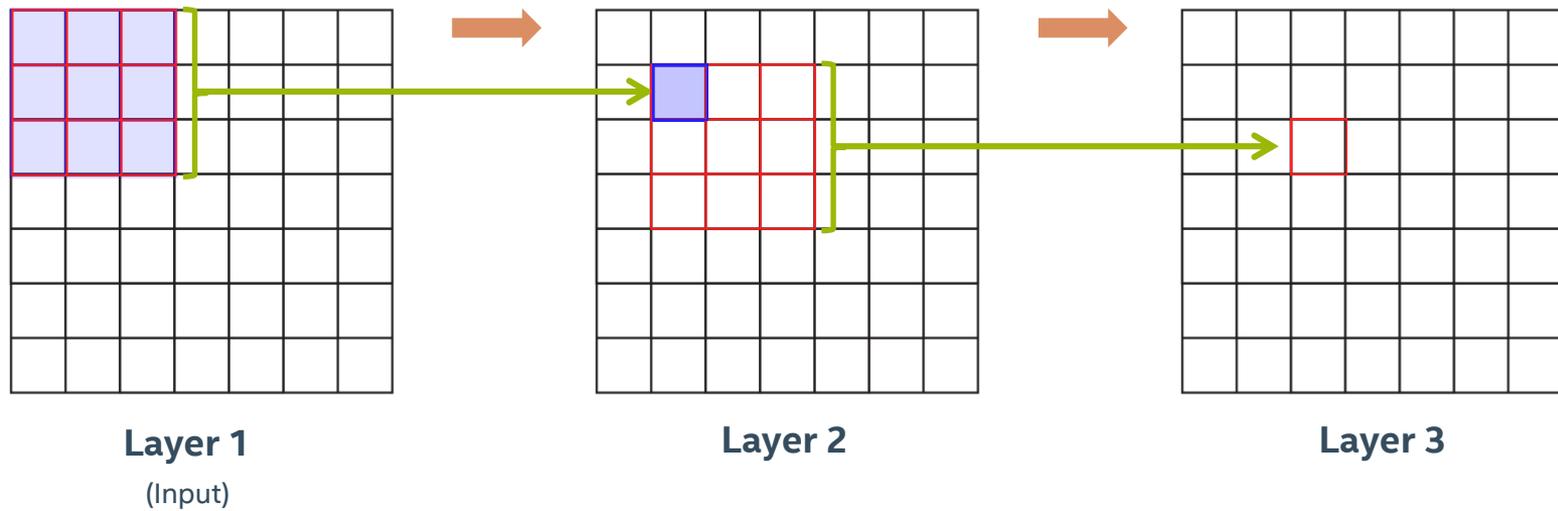
**Layer 3**

# RECEPTIVE FIELD

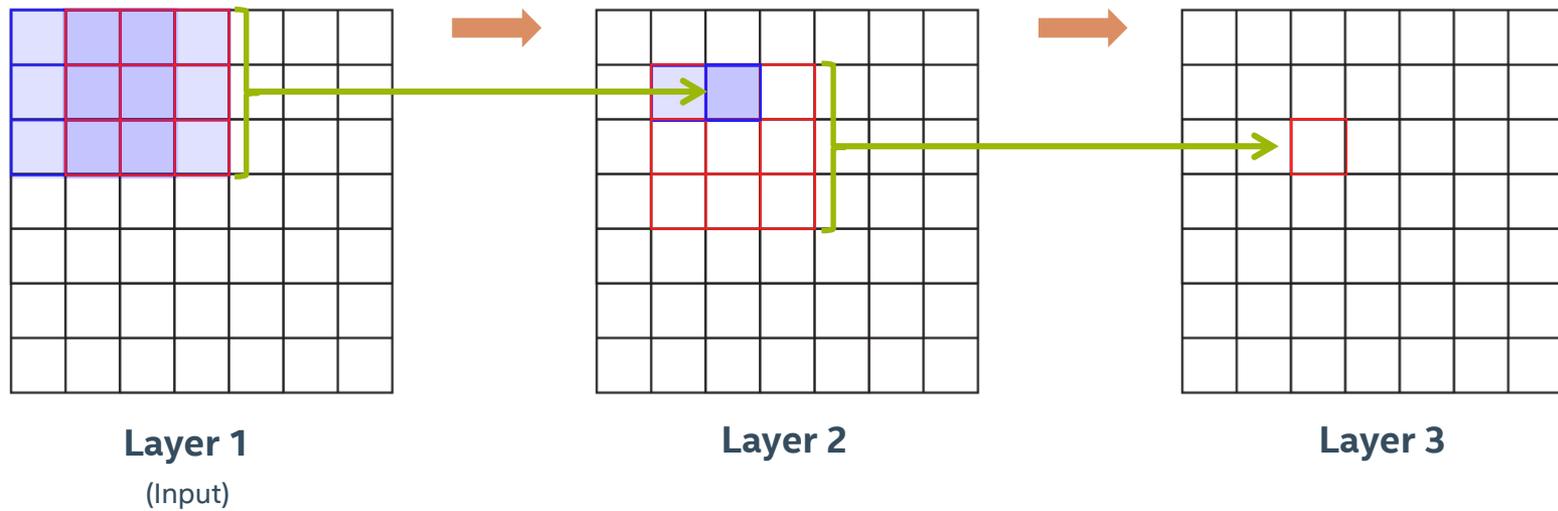
This output on Layer 3 uses a 3x3 patch from layer 2.  
How much from layer 1 does it use?



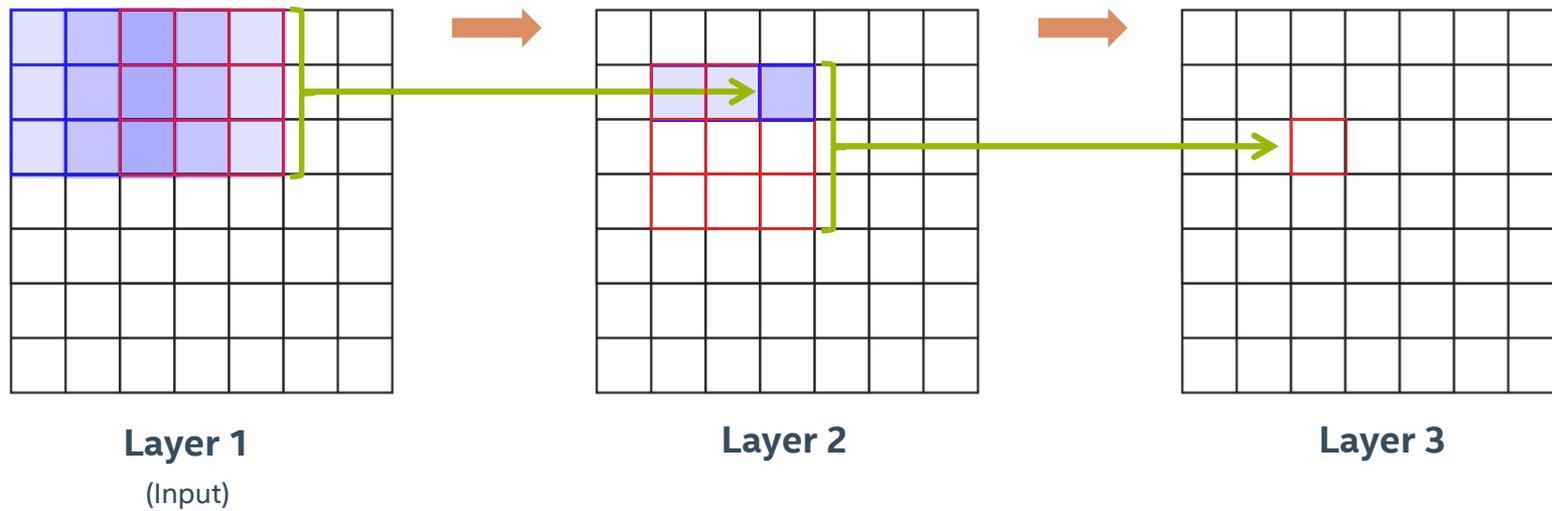
# RECEPTIVE FIELD



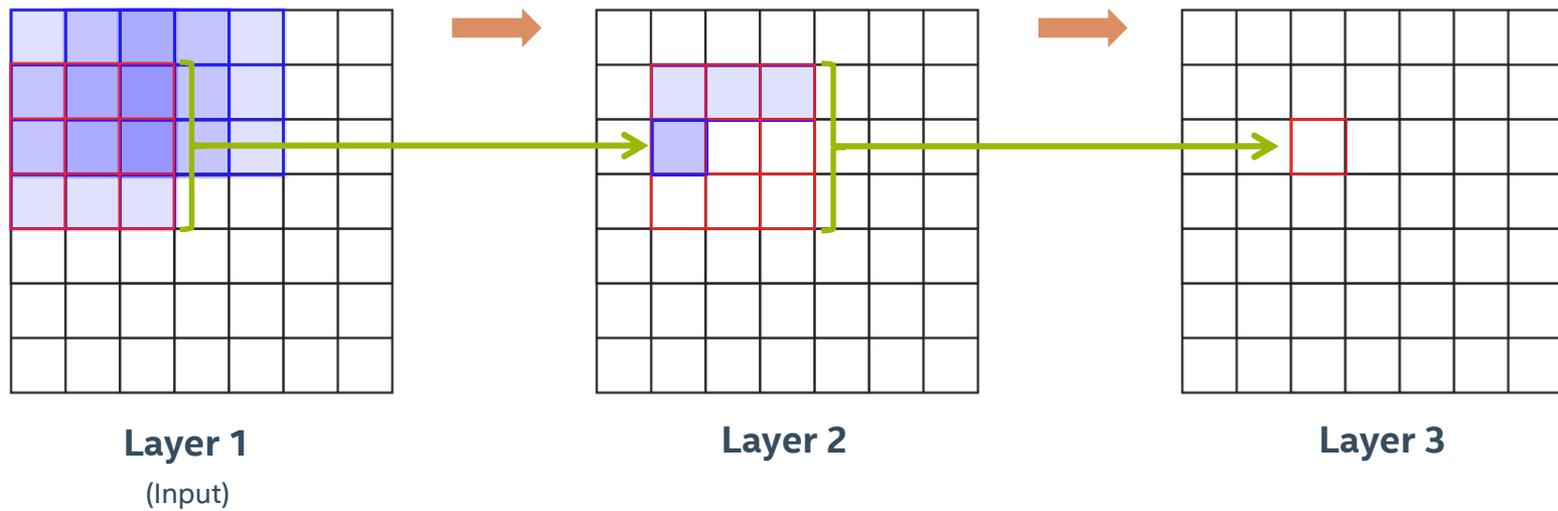
# RECEPTIVE FIELD



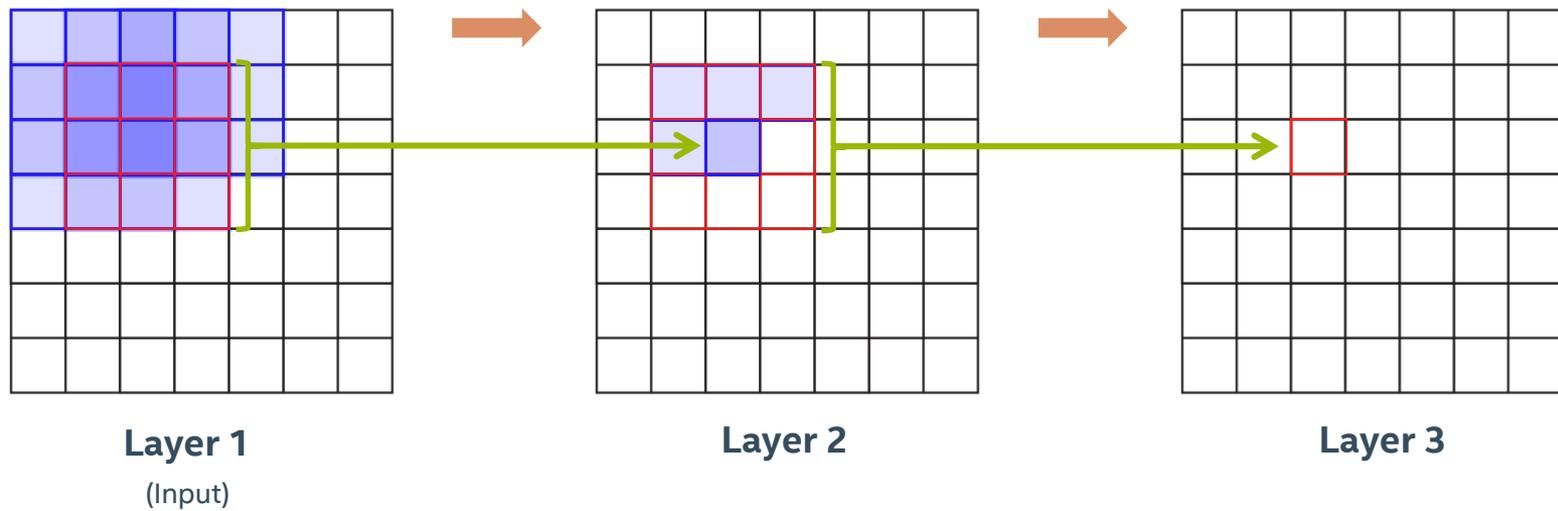
# RECEPTIVE FIELD



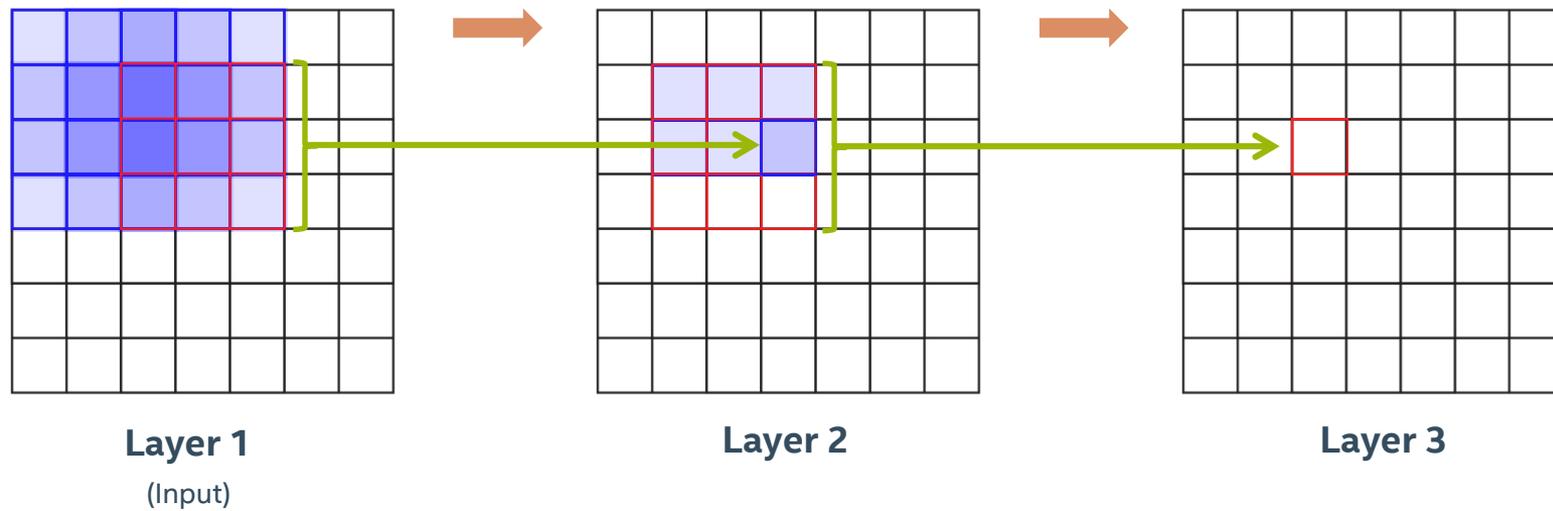
# RECEPTIVE FIELD



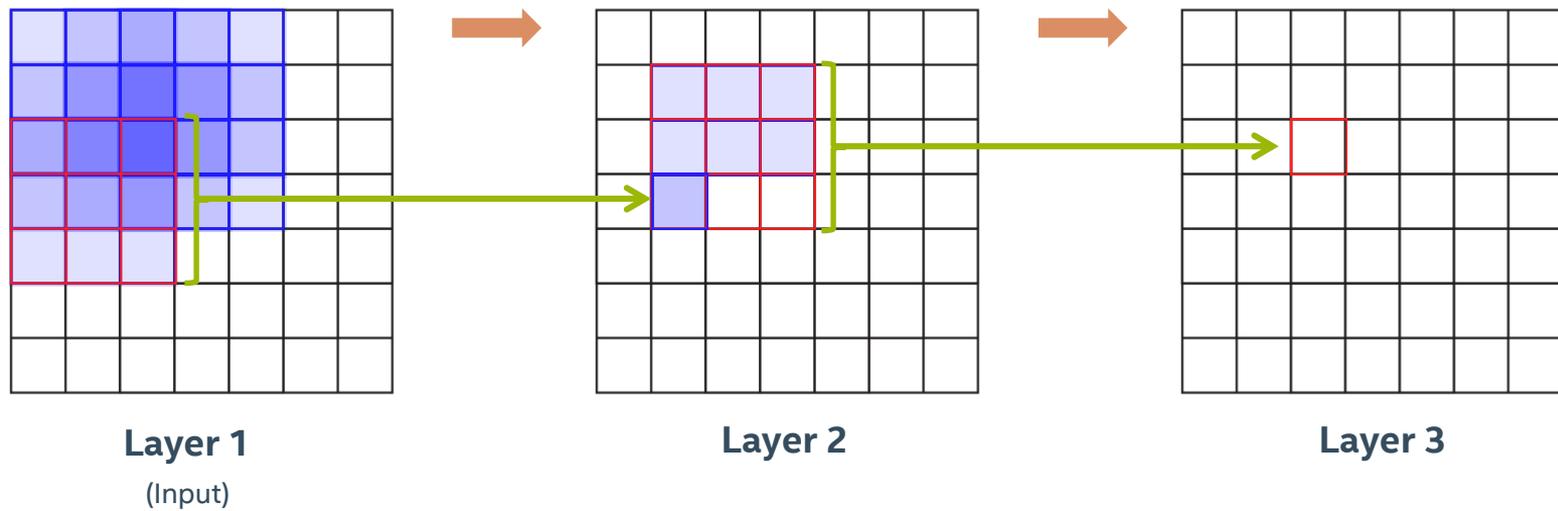
# RECEPTIVE FIELD



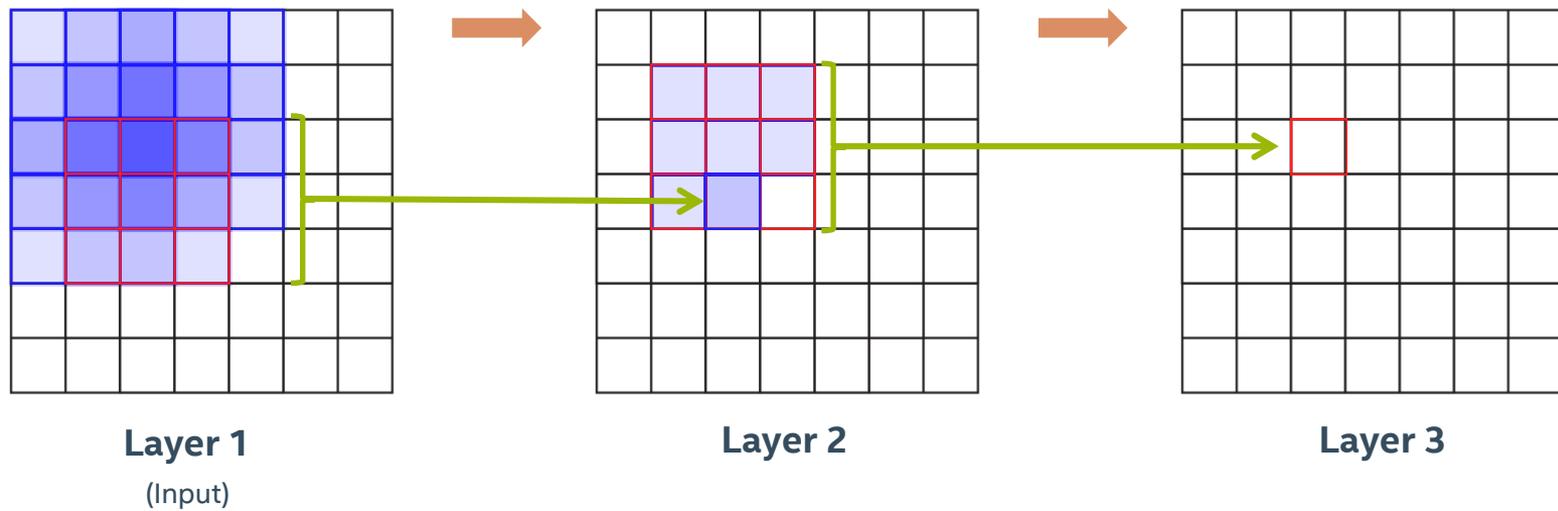
# RECEPTIVE FIELD



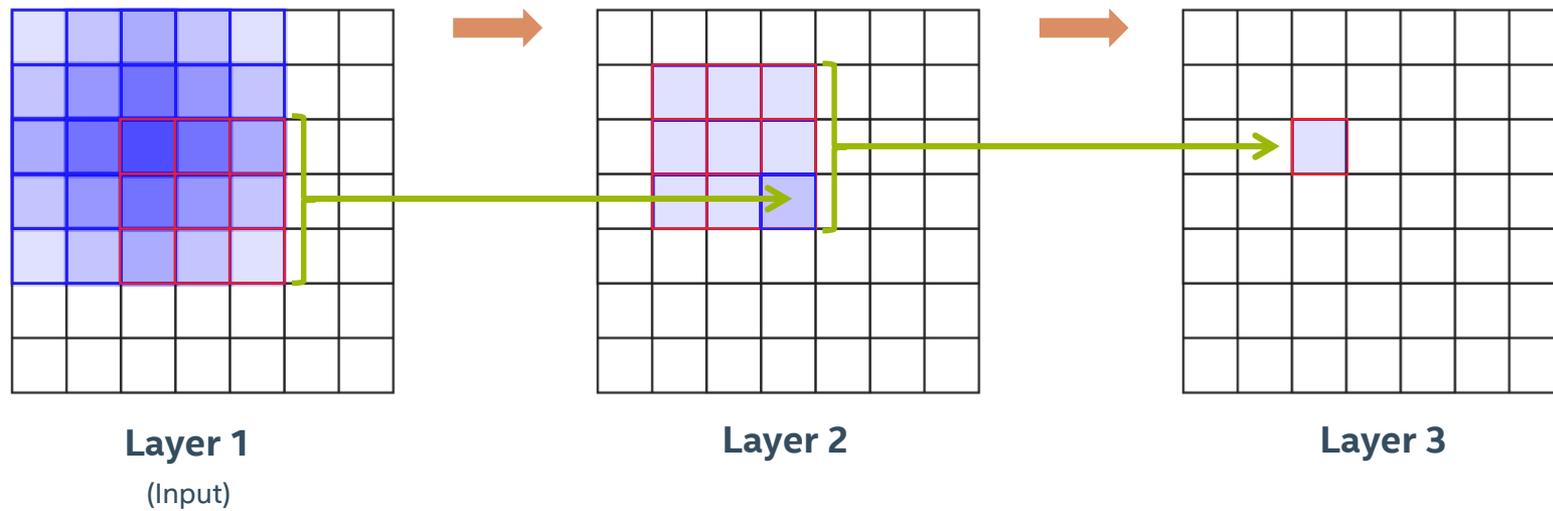
# RECEPTIVE FIELD



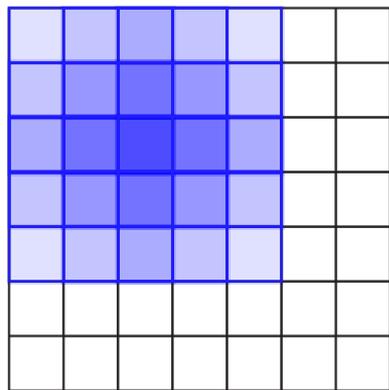
# RECEPTIVE FIELD



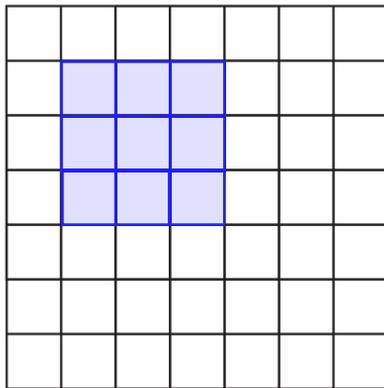
# RECEPTIVE FIELD



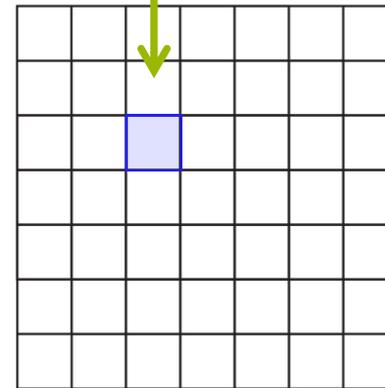
# RECEPTIVE FIELD



**Layer 1**  
(Input)



**Layer 2**



**Layer 3**

Each square in layer 3 “sees”  
a 5x5 grid from layer 1.

# RECEPTIVE FIELD

Two 3x3, stride 1 convolutions in a row is effectively a 5x5

Three 3x3 convolutions is effectively a 7x7 convolution

Benefit: fewer parameters!

**One 3x3 layer**

$$3 \times 3 \times C \times C = 9C^2$$

**Three 3x3 layers**

$$3 \times (9C^2) = 27C^2$$

assume C input/output channels

**One 7x7 layer**

$$7 \times 7 \times C \times C = 49C^2$$

$$49C^2 \rightarrow 27C^2 \rightarrow \approx 45\% \text{ reduction!}$$

# RAMIFICATIONS OF VGGNET

**One of the first papers to experiment with many layers**

- More is better!

**Can use multiple 3x3 convolutions to simulate larger kernels with fewer parameters**

**Served as "base model" for future works**

